

# HOPF ALGEBRAS GIVING QUANDLE COCYCLE INVARIANTS

YASUTO KIMURA

For a quandle  $X$  and a quandle 2-cocycle  $\phi$  whose values are in a module  $A$ , there exists an invariant  $\Phi_\phi(L)$  of a link  $L$ , which is called a quandle 2-cocycle invariant. In my talk, We construct a Hopf algebra  $H(X; \phi)$  with a co-braiding  $\mathcal{R}$  which gives  $\Phi_\phi$  through its co-action on  $V = \bigoplus_{i \in X} \mathbb{Z}[A]e_i$ .

Secondly, there are some generalizations of quandle co-homologies. The twisted quandle co-homology is one of them. Carter, Elhamdadi, Graña and Saito introduced a new knot invariant  $\Phi_\phi^{\text{Tw}}(L)$  by twisted quandle co-cycle  $\phi$  whose values are in a  $X$ -module  $M$ . I demonstrate the identification of this invariant with the eigenvalue of some map from  $\mathbb{Z}[M]$  to  $\mathbb{Z}[M]$ . Through this identification, we also get a new representation of braid group  $B_n$  of  $n$  strings.

UNIVERSITY OF TOKYO